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# One more step towards well-composedness of cell complexes over nD pictures

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## Abstract

An nD pure regular cell complex  $K$  is weakly well-composed (wWC) if, for each vertex  $v$  of  $K$ , the set of n-cells incident to  $v$  is

face-connected. In previous work we proved that if an nD picture  $I$  is digitally well composed (DWC) then the cubical complex  $Q(I)$  associated to  $I$  is wWC. If  $I$  is not DWC, we proposed a combinatorial algorithm to "locally repair"  $Q(I)$  obtaining an nD pure simplicial complex  $P_S(I)$  homotopy equivalent to  $Q(I)$  which is always wWC. In this paper we give a combinatorial procedure to compute a simplicial complex  $P_S(\bar{I})$  decompose the complement space of  $P_S(I)$  and prove that  $P_S(\bar{I})$  is also wWC. This paper means one more step on to prove that the D repaired complex is continuously well-composed (CWC), that is, the boundary of its continuous analog is  $(-1)$ -manifold.

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