# Compact packings of the plane with three sizes of discs 

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#### Abstract

A compact packing is a set of non-overlapping discs where all the holes between discs are curvilinear triangles. There is only one compact packing by discs of radius 1 . There are exactly 9 values of $r$ which allow a compact packing with discs of radius 1 and $r$. It has been proven that at most 11462 pairs $(r, s)$ allow a compact packing with discs of radius $1, r$ and $s$. We prove that there are exactly 164 such pairs.


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